#### 5<sup>th</sup> Joint US-European Fluids Engineering Division Summer Meeting, July 15-20, 2018

Validation Of A CFD Model Predicting The Effect Of High Level Lateral Acceleration Sloshing On The Heat Transfer And Pressure Drop In A Small-scale Tank In Normal Gravity

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#### **Overview**

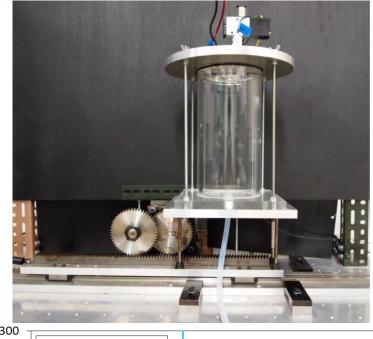


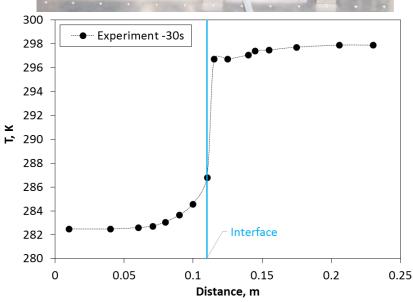
- Description of experiment
- CFD Results
  - Lateral acceleration 0.5 G
    - Cases without the tank wall (adiabatic)
    - Cases with the tank wall
  - Lateral acceleration 0.2 G
    - Cases with the tank wall
- Conclusions

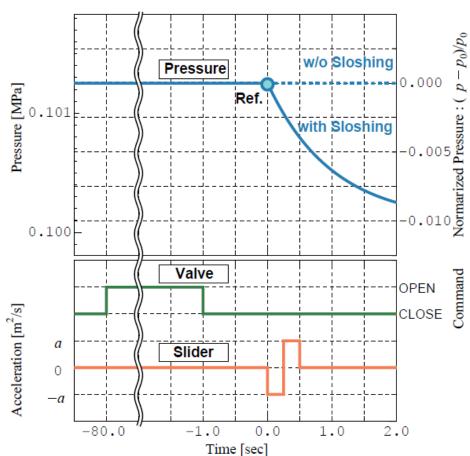
# **Experimental setup and procedure**



- Experiment conducted by Himeno at al. (AIAA2011-5682); CFD modeling performed under NASA-JAXA collaboration
- Silicone oil KF96L-1cSt and Air
- Tank inner diameter 0.110 m; height 0.230 m
- Tested lateral acceleration levels: 0.2G, 0.3G, 0.4G and 0.5 G
- 1 G
- One fluid temperature profile at -30 seconds prior to sloshing was provided, when conditions can change between the test points







# Fluid and Wall Properties



• Some fluid properties for silicone oil (KF96L-1cSt) were provided by JAXA, the rest found online:

Fluid Properties:

Property	Units	Silicone Oil	Air
Density	kg/m³	818	Ideal gas
C <sub>p</sub>	J/kg-K	2000	1006.43
Thermal Conductivity	W/m-K	0.1	0.0242
Viscosity	kg/m-s	0.000818	1.7894e-05
<b>Surface Tension</b>	N/m	0.0169	
Thermal Expansion	1/K	0.00129	
coeff.			
Molecular Weight	Kg/kmol	74	28.966

#### Wall Properties (acrylic):

Property	Units	Acrylic
Density	kg/m³	1170
C <sub>p</sub>	J/kg-K	1466
Thermal Conductivity	W/m-K	0.21

#### **Computational Model: Equations Solved**



Continuity: 
$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \vec{v}) = S_m$$

$$\underline{\mathsf{Momentum:}} \quad \frac{\partial}{\partial t}(\rho\vec{v}) + \nabla \cdot (\rho\vec{v}\vec{v}) = -\nabla p + \nabla \cdot (\bar{\tau}) + \rho\vec{g} + \vec{F} \; ,$$

where stress tensor is: 
$$\bar{\tau} = \mu \left[ \left( \nabla \vec{v} + \nabla \vec{v}^{\mathrm{T}} \right) - \frac{2}{3} \nabla \cdot \vec{v} I \right]$$

Energy: 
$$\frac{\partial}{\partial t}(\rho E) + \nabla \cdot (\vec{v}(\rho E + p)) = \nabla \cdot \left(k_{\text{eff}}\nabla T - \sum_{j} h_{j}\vec{J}_{j} + (\bar{\bar{\tau}}_{\text{eff}} \cdot \vec{v})\right) + S_{h}$$

#### Volume of Fluid (VOF) model:

Energy and Temperature are defined as mass average scalars:

Properties: 
$$\rho = \sum_{q=1}^{2} \alpha_q \rho_q, \ \mu_{eff} = \sum_{q=1}^{2} \alpha_q \mu_{eff q}, \ k_{eff} = \sum_{q=1}^{2} \alpha_q k_{eff q}$$

Properties: 
$$\rho = \sum_{q=1}^{2} \alpha_{q} \rho_{q}, \ \mu_{eff} = \sum_{q=1}^{2} \alpha_{q} \mu_{eff q}, \ k_{eff} = \sum_{q=1}^{2} \alpha_{q} k_{eff q}$$
Continuity of Volume Fraction of the  $q$ -th phase: 
$$\frac{1}{\rho_{q}} \left[ \frac{\partial}{\partial t} (\alpha_{q} \rho_{q}) + \nabla \cdot (\alpha_{q} \rho_{q} \vec{v}_{q}) = S_{\alpha_{q}} \right]$$
Continuum Surface Force (Brackbill et al.): 
$$F_{vol} = \sum_{\text{pairs } ij, \ i < j} \frac{\alpha_{i} \rho_{i} h_{j} \nabla \alpha_{j} + \alpha_{j} \rho_{j} h_{i} \nabla \alpha_{i}}{\frac{1}{2} (\rho_{i} + \rho_{j})}$$
where  $h_{i} = \nabla \cdot \hat{n}$ 

where 
$$h_i = \nabla \cdot \hat{n}$$

$$F_{vol} = \sum_{\text{pairs } ij, \ i < j} \frac{\alpha_i \rho_i h_j \nabla \alpha_j + \alpha_j \rho_j h_i \nabla \alpha_i}{\frac{1}{2} (\rho_i + \rho_j)}$$

#### **Computational Model: Numerical Methods**



- ➤ Simulations performed using ANSYS Fluent version 17
- **≻3D** geometry was modeled
- ➤ Compressible ideal gas
- > Surface tension effects via Continuum Surface Force method of Brackbill et al.

#### **RANS**

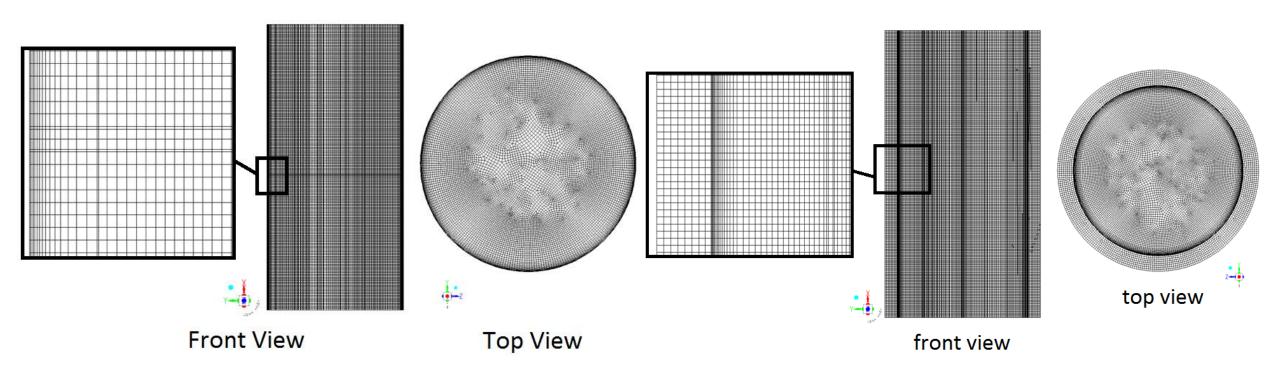
- > Second Order Upwind scheme was used for discretization of the Energy, Momentum and Turbulence equations (cell values)
- ➤ PISO scheme was used for the Pressure-Velocity coupling (cell values)
- ➤ Least Squares Cell Based scheme was used for the gradient calculations (face values)
- ➤ Body Force Weighted scheme was used for the Pressure interpolation (face values)
- ➤ Point Implicit (Gauss-Seidel) linear equation solver with Algebraic Multi-Grid (AMG) method was used for solving linearized systems of equations
- $\triangleright$  First Order Implicit temporal discretization was used with explicit VOF model with  $\Delta t = 1e-4$  s

#### LES

- > Bounded Central Differencing scheme was used for discretization of the Momentum equation (cell values)
- > Second Order Upwind scheme was used for discretization of the Energy equation (cell values)
- > PISO scheme was used for the Pressure-Velocity coupling (cell values)
- ➤ Least Squares Cell Based scheme was used for the gradient calculations (face values)
- ➤ Body Force Weighted scheme was used for the Pressure interpolation (face values)
- ➤ Point Implicit (Gauss-Seidel) linear equation solver with Algebraic Multi-Grid (AMG) method was used for solving linearized systems of equations
- $\triangleright$  Bounded Second Order Implicit temporal discretization was used with explicit VOF model with  $\Delta t = 5e-5$  s

# **Computational Mesh: RANS**



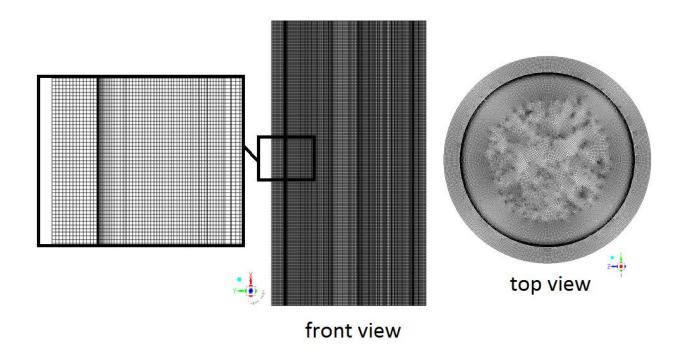


without the tank wall 2,059,200 cells

with the tank wall 2,573,165 cells

# **Computational Mesh: LES**



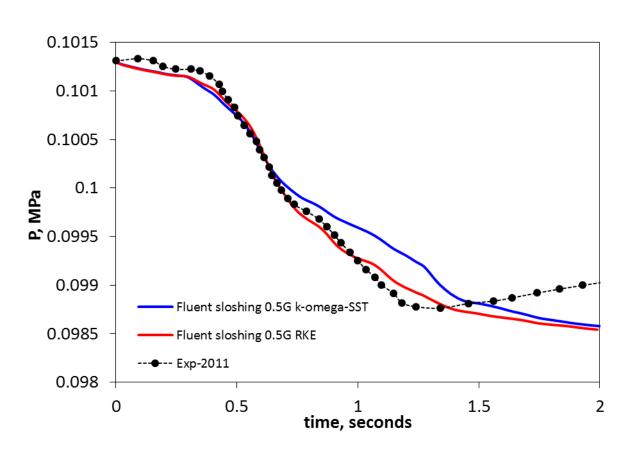


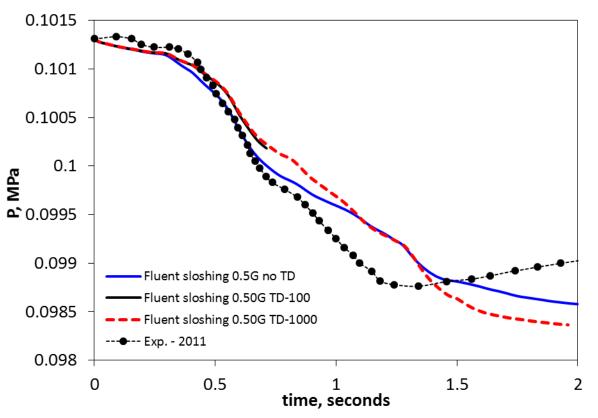
with the tank wall used in the LES case (9,576,315)



CFD Results: High Lateral Acceleration (0.5 G)





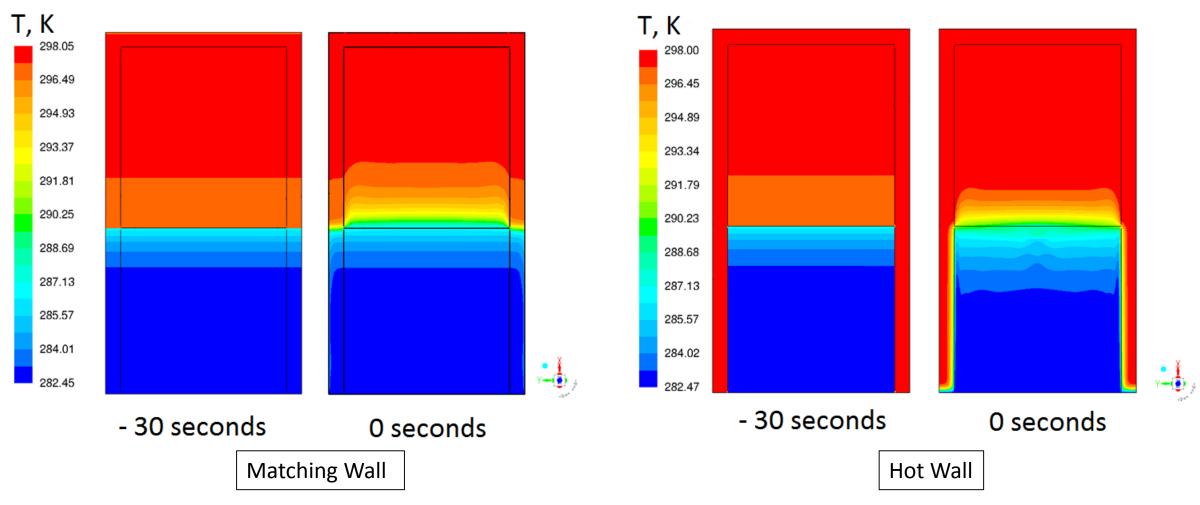


Effect of turbulence model

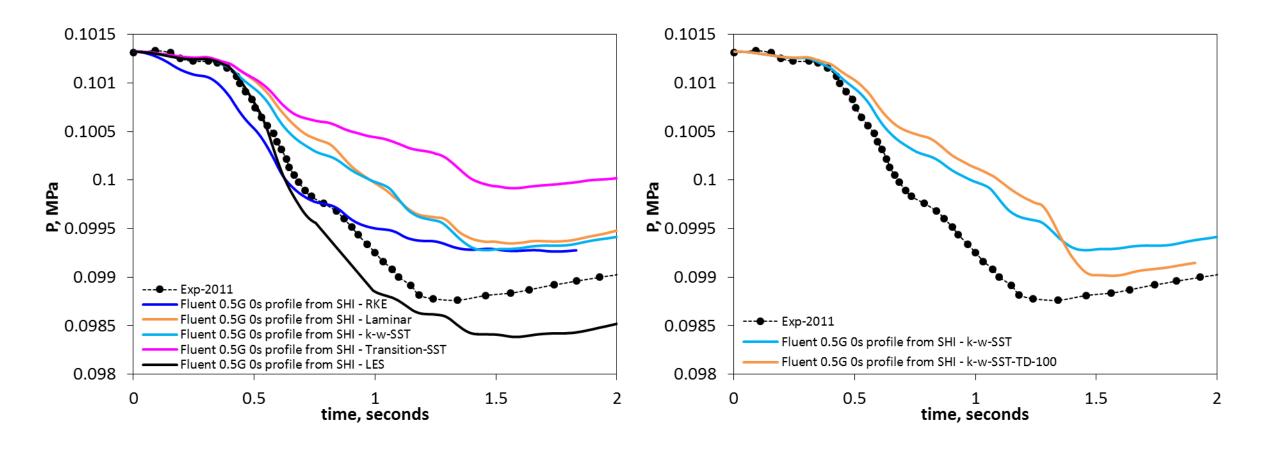
Effect of turbulence damping at the interface



#### Obtaining Initial Conditions: Sharp Interface Model



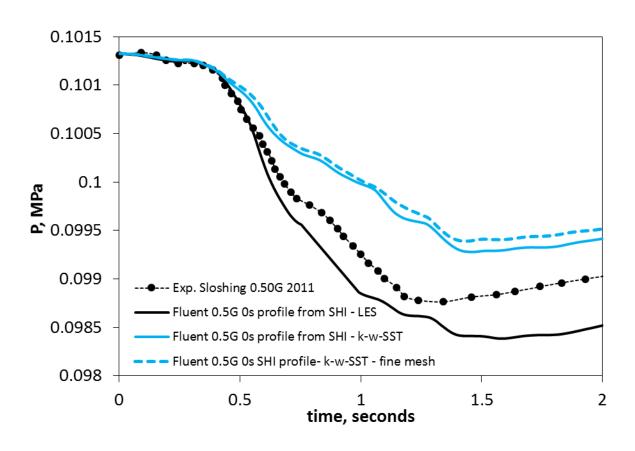




Effect of turbulence model

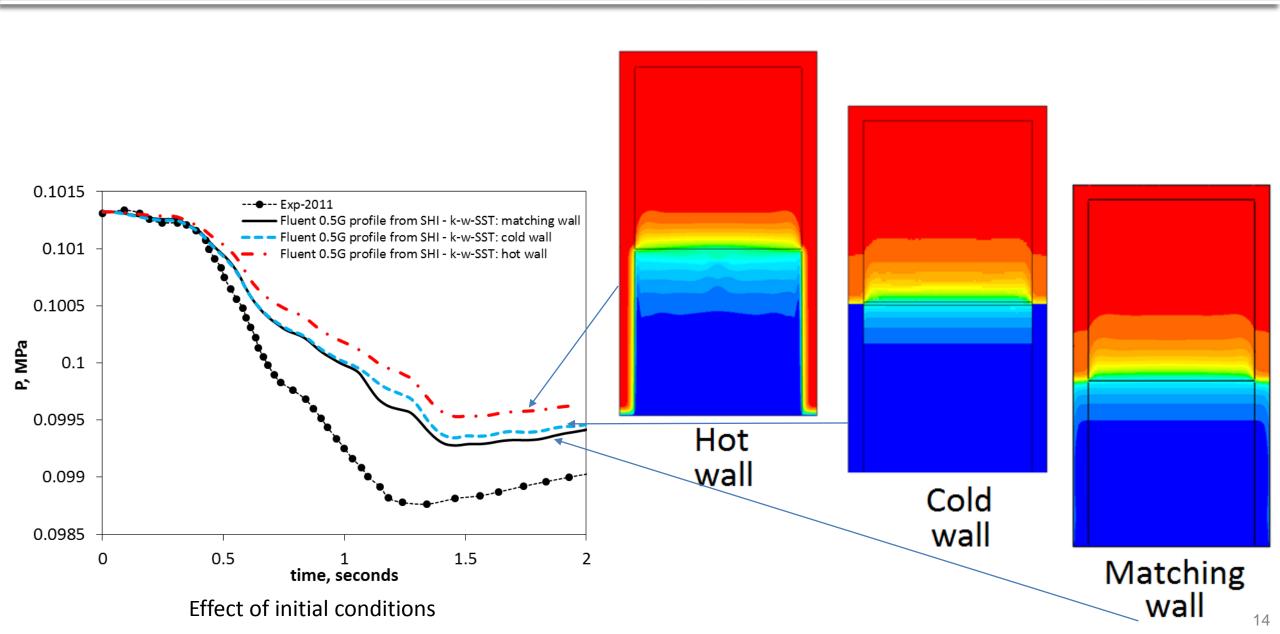
Effect of turbulence damping at the interface





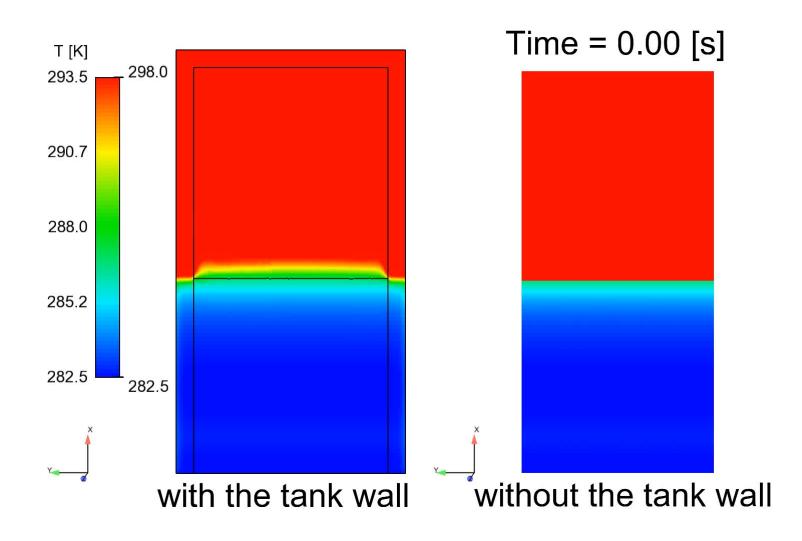
Effect of mesh size for RANS





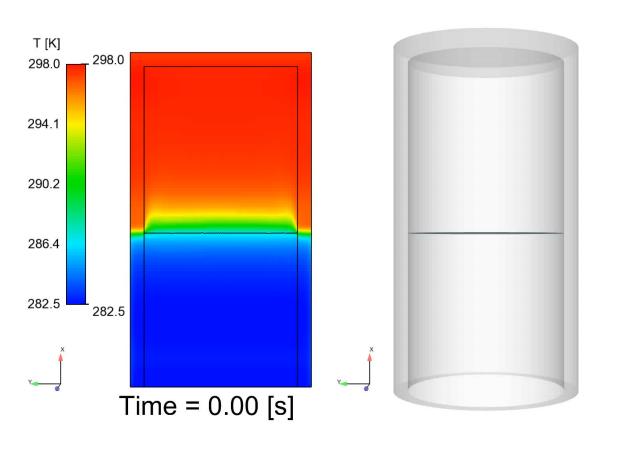
## Case comparison with and without tank wall: 0.5G

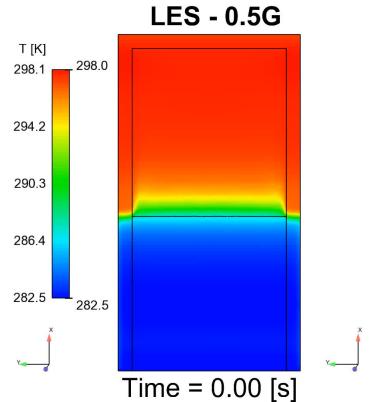




# Case comparison LES vs. RANS: 0.5G







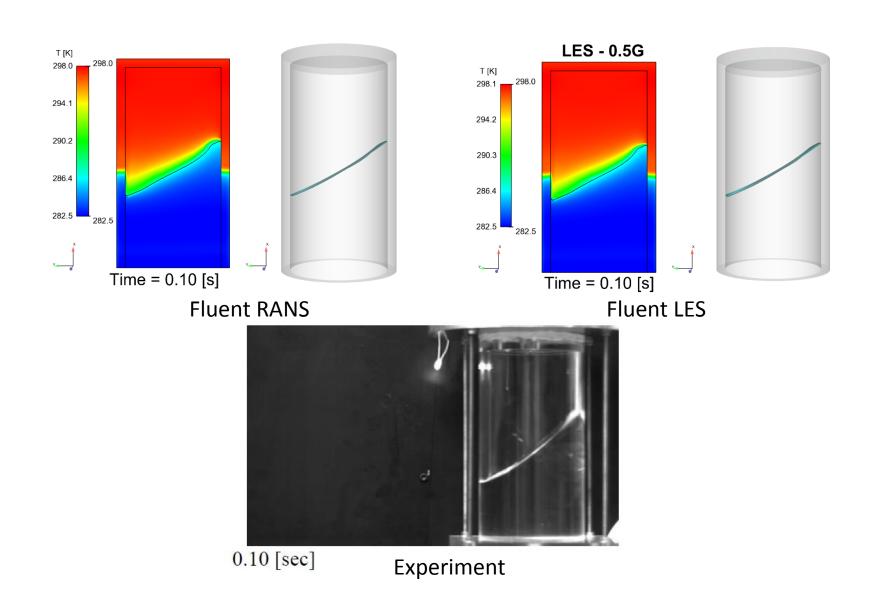


k-ω-SST

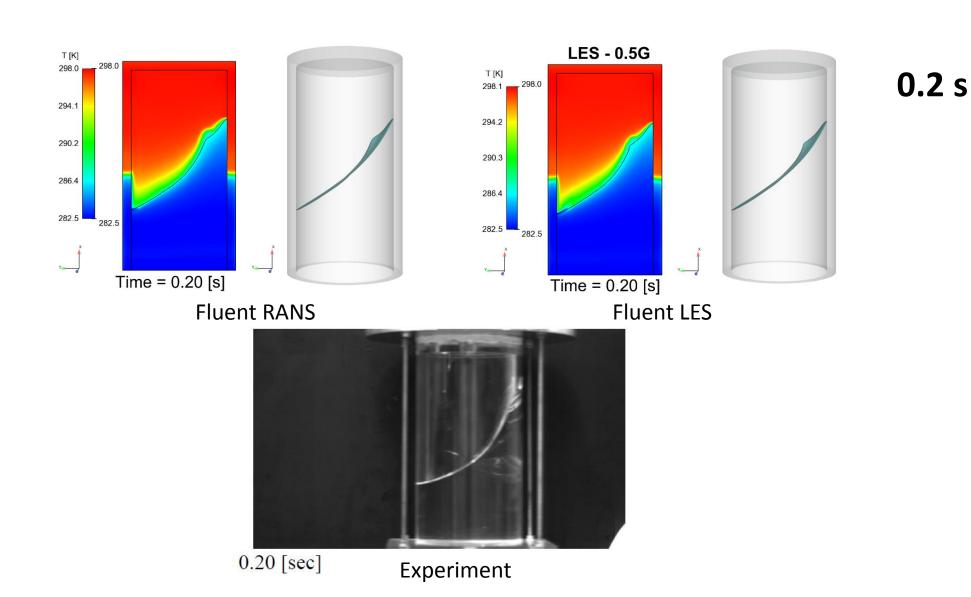
**LES** 



**0.1** s

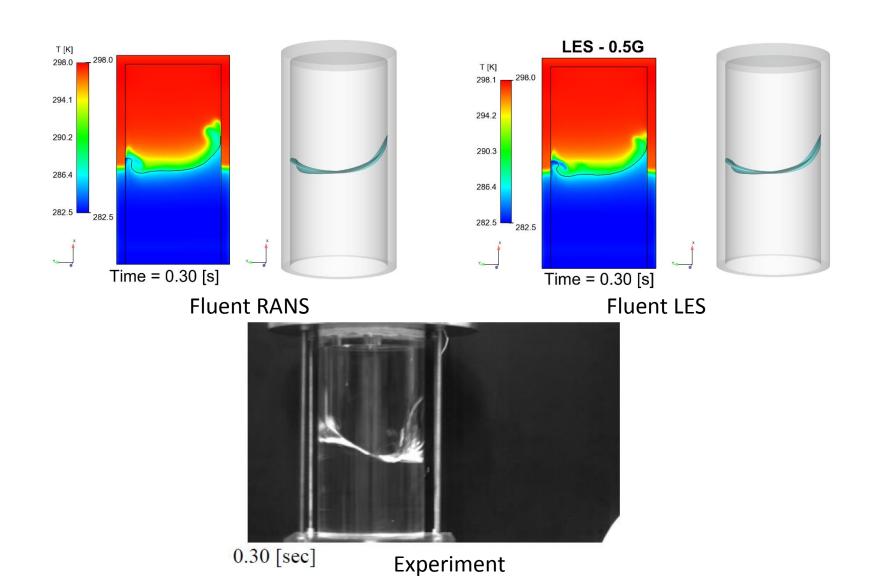






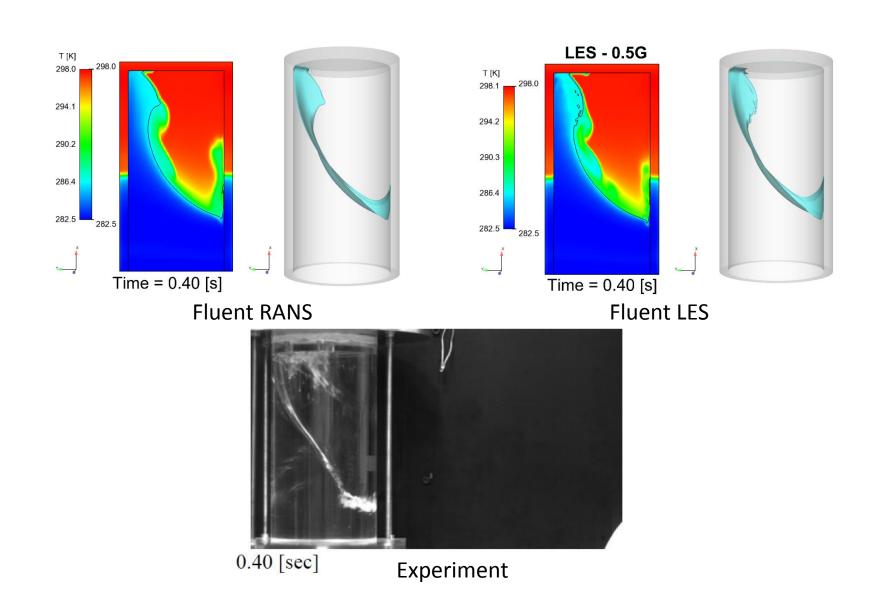


**0.3** s



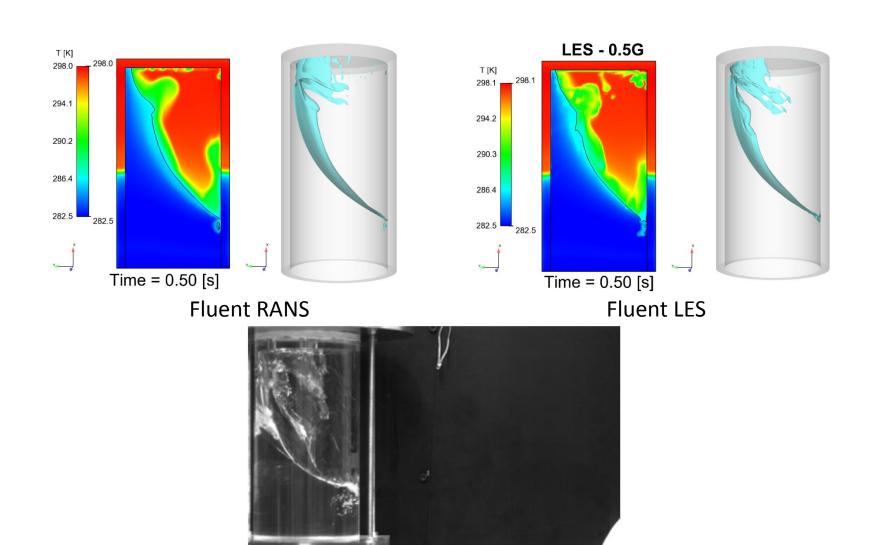


**0.4** s



0.50 [sec]



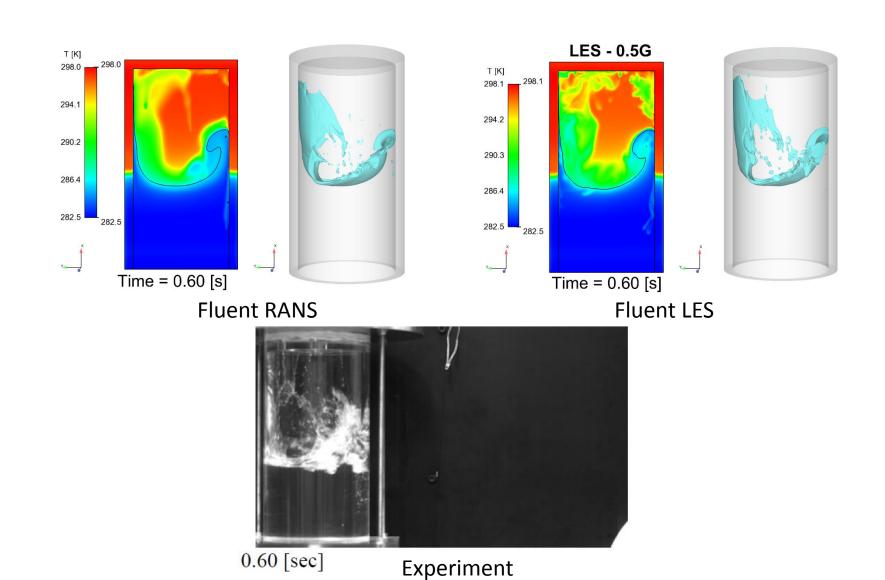


Experiment

**0.5** s

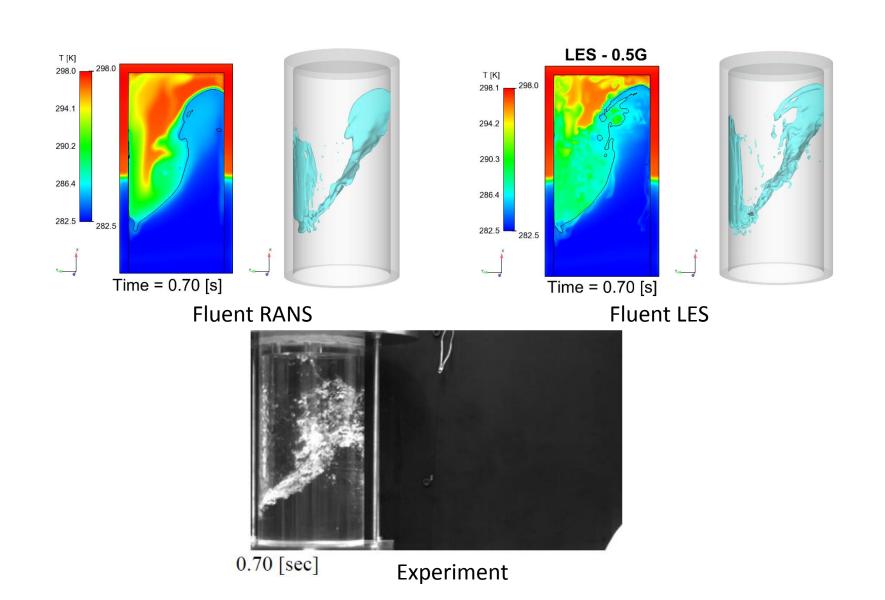


**0.6** s

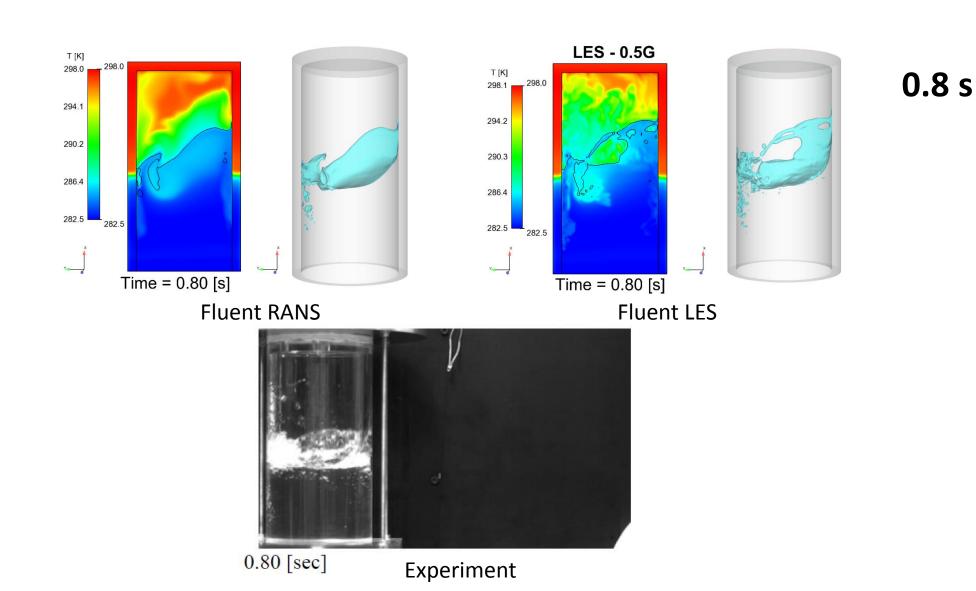




**0.7** s



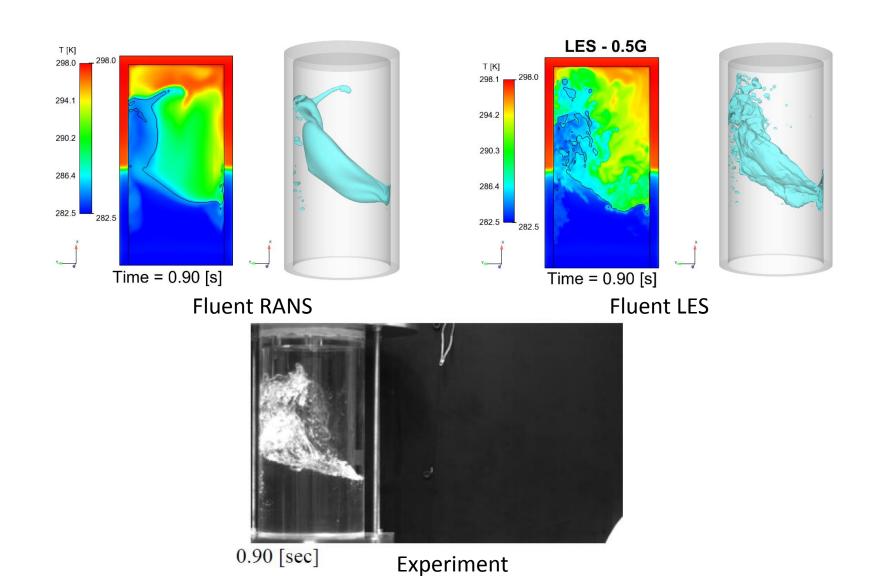




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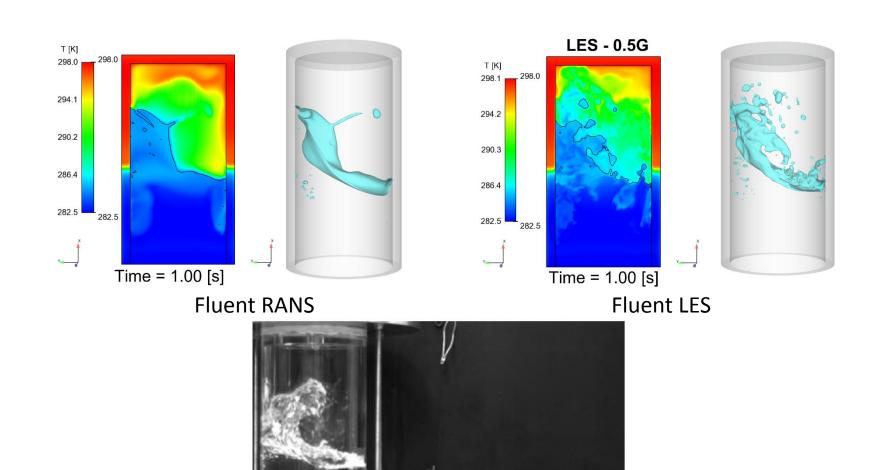


**0.9** s



1.00 [sec]



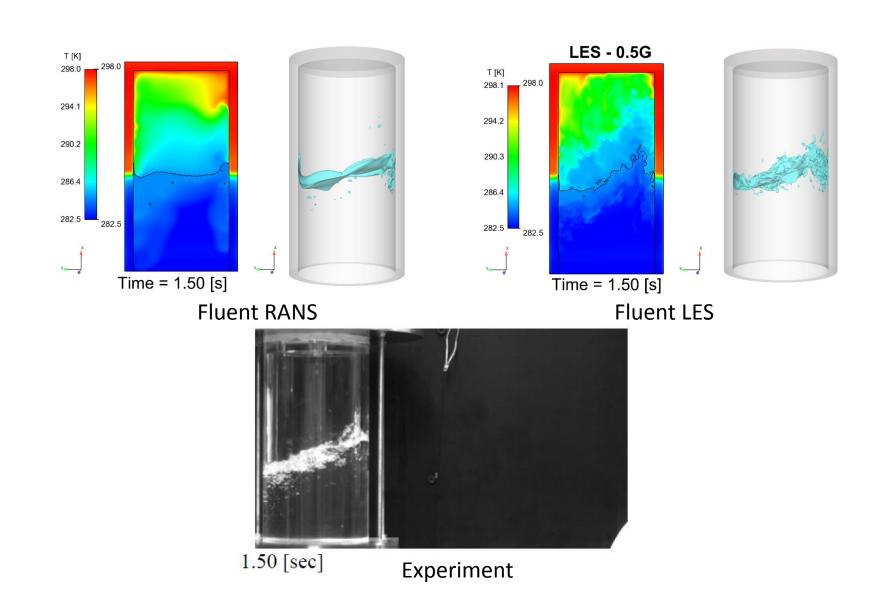


Experiment

**1.0** s

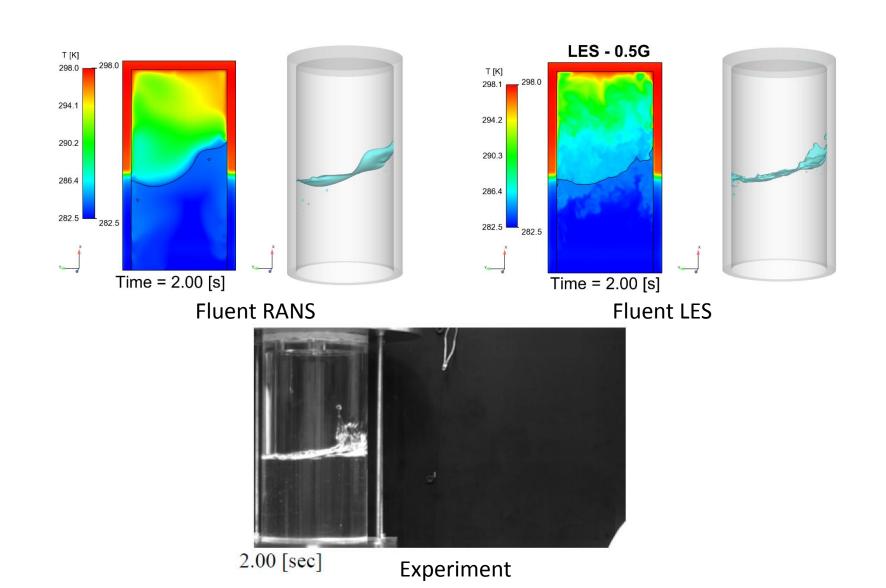


**1.5** s



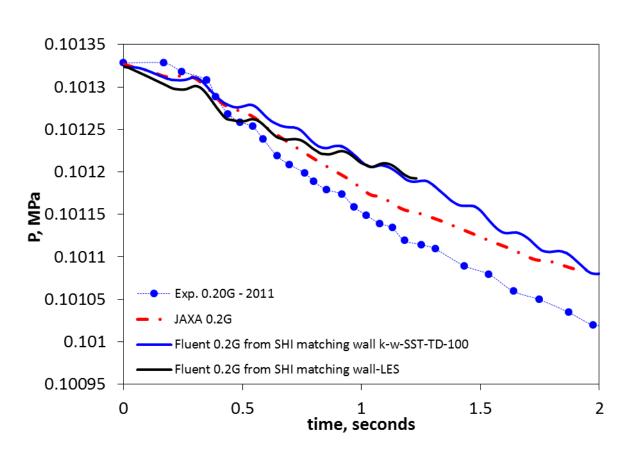


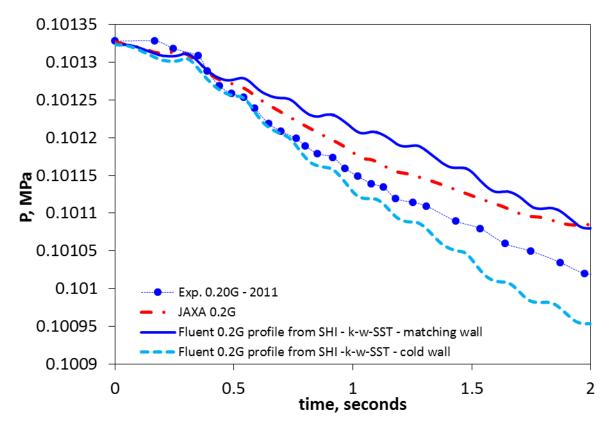
**2.0** s







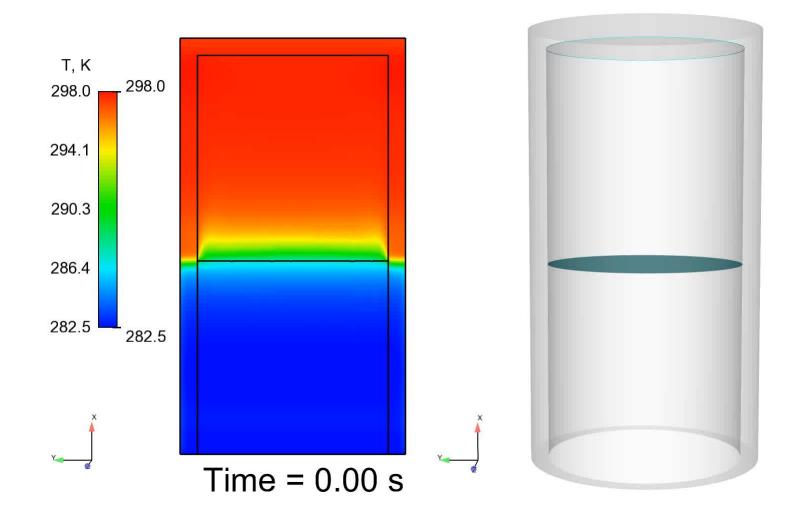




Effect of turbulence model

Effect of initial conditions





#### **Conclusions**



- Silicone oil sloshing cases with 0.5G and 0.2G accelerations were simulated. Different factors affecting tank pressure during sloshing were studied, including:
  - > turbulence modeling approach
  - > turbulence damping at the interface
  - > Initial conditions
  - boundary conditions
- The turbulence modeling approach had a more pronounced effect on the tank pressure in the higher acceleration case of 0.5G. With LES approach being the best in comparison with the experimental interface motion and tank pressure
- The initial temperature of the tank wall had a more pronounced effect on the tank pressure during sloshing in the lower acceleration case of 0.2G
- It is necessary to use realistic initial and boundary conditions for accurate modeling of fluid sloshing
- In the higher acceleration cases with turbulent breakup of the interface the more sophisticated approach to turbulence modeling, such as LES, produces better agreement with the experimental data